## Exam

## **Incentives in Organizations and Innovation**

Summer Semester 2021

Please answer either **Question 1** or **Question 2**. If you answer both questions, we will only consider **Question 1**!

## **Question 1:**

(1) Interpret the crowding-out effect of extrinsic rewards with reasonable examples.

(2) A team consists of two identical agents (i = 1, 2). The production function is  $Q = \sum_{i=1,2} 2e_i$ , where  $e_i$  is the effort of agent *i*. The disutility of effort for each agent is given by the function  $C(e_i) = e_i^2/2$ . The wage of agent is equal to  $w_i = \gamma Q/2$ , where  $\gamma$  is the share of the team in the total output Q.

2.1 Identify the individual rational level of effort.

2.2 Identify the collective rational level of effort. Is it a Nash equilibrium?

2.3 Consider a repeated game with almost perfect information and a *finite* time horizon. Can cooperation with the trigger strategy be a subgame-perfect equilibrium?

## **Question 2:**

**(1)** Discuss the role of social preferences in the employees' response to relative performance pay.

(2) A team consists of two identical agents (i = 1, 2). The production function is  $Q = \sum_{i=1,2} 2e_i$ , where  $e_i$  is the effort of agent *i*. The disutility of effort for each agent is given by the function  $C(e_i) = e_i^2/2$ . The wage of agent is equal to  $w_i = \gamma Q/2$ , where  $\gamma$  is the share of the team in the total output Q.

2.1 Identify the individual rational level of effort.

2.2 Identify the collective rational level of effort. Is it a Nash equilibrium?

2.3 The discount factor is  $\delta = 1/(1 + r)$ , with r being the interest rate. Consider a repeated game with almost perfect information and a *infinite* time horizon. Can cooperation with the trigger strategy be a subgame-perfect equilibrium?